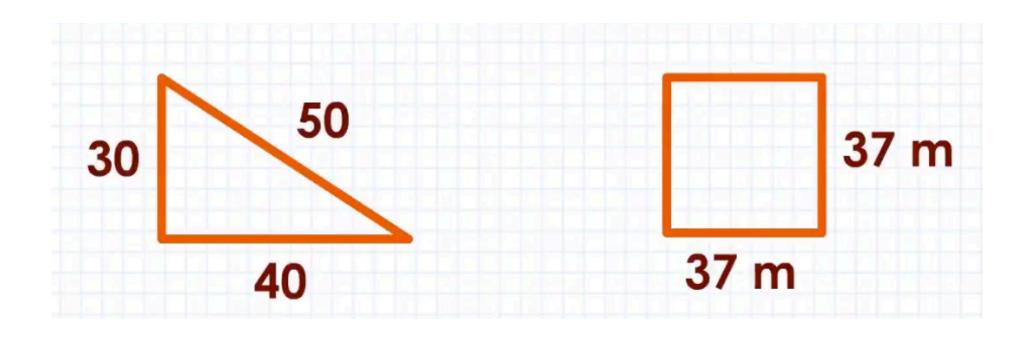
Day 13:
Complex
Shapes
and Scales





# Warm-Up: Find the perimeter of shapes below



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### Key Understanding

Complex geometrical figures can be divided into smaller shapes.

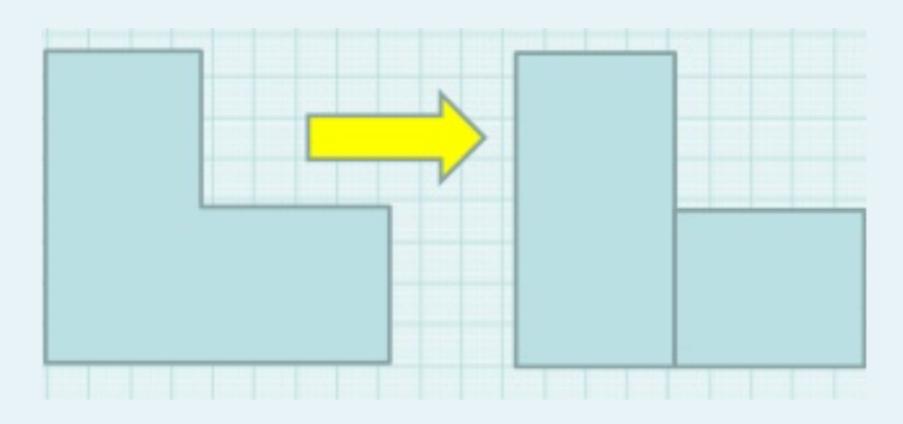
# Complex Shapes

Composite plane figures are made up of two or more 2-D shapes.

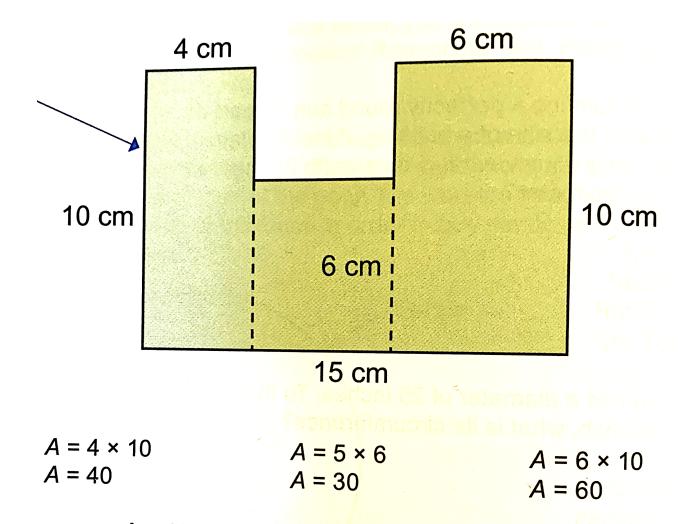
The perimeter of a composite plane figure is the distance around the entire figure.

It can be calculated by adding the lengths of the exterior side.

# To find the area of a complex figure, divide the figure into simple shapes

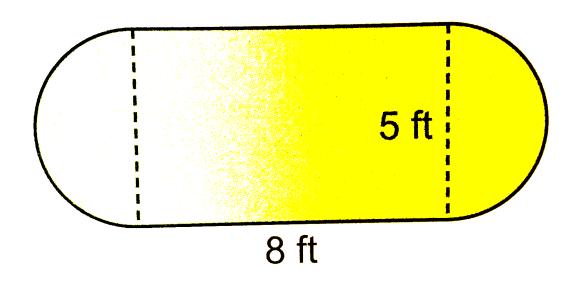


#### What is the perimeter of the figure?



$$A = 40 + 30 + 60 = 130$$
 square centimeters

Kirsten sewed a tablecloth in the shape shown below. What is the area of her tablecloth in square feet?



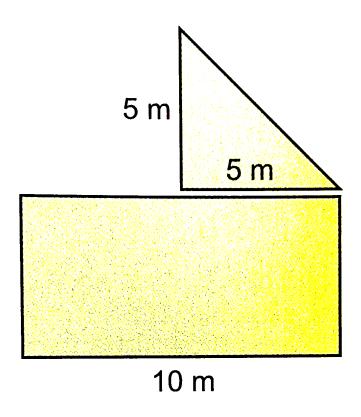
A. 26

B. 40

C. 47.9

D. 59.625

A kindergarten student designs the following shape using blocks on the carpet floor.



What is the area of the triangular portion of the figure?

A. 12.5 m<sup>2</sup>

B. 25 m<sup>2</sup>

C. 50 m<sup>2</sup>

D. 59.63 m<sup>2</sup>

If the width of the rectangle is 5 m, what is the total area of the figure above?

A. 5 m<sup>2</sup>

B. 12.5 m<sup>2</sup>

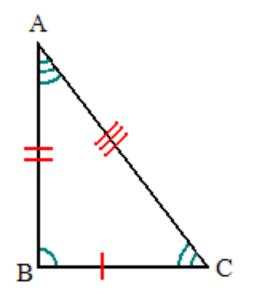
C. 50 m<sup>2</sup>

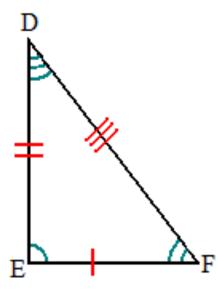
D. 62.5 m<sup>2</sup>



### **Congruent Figures**

 Two figures that are exactly the same and have corresponding angles and sides





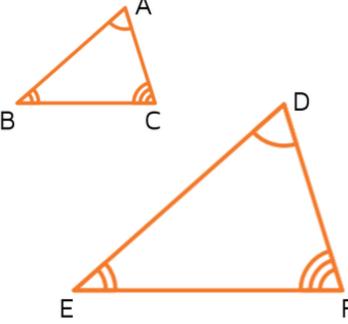
## Similar Figures

 Two figures that have equal angles but the lengths of their sides are proportional

The corresponding sides of similar figures are **proportional**.

$$\frac{AB}{DE} = \frac{BC}{EF} = \frac{AC}{DF}$$

The <u>ratios</u> of the corresponding sides are the same.

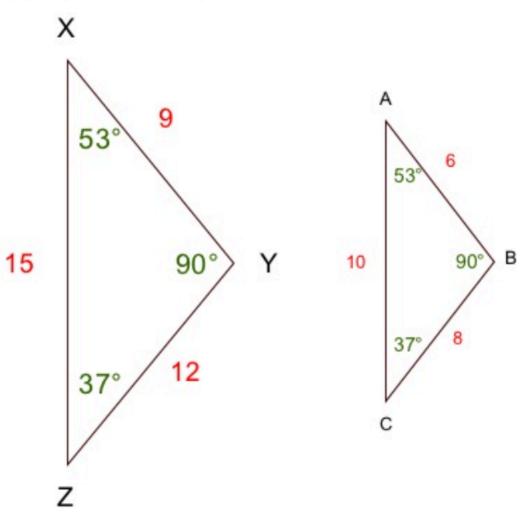


### These Figures Are Similar

The symbol ~ means "is similar to".

To the right,

 $\triangle ABC \sim \triangle XYZ$ .



## **Scale Drawings**

- Scale drawings, involving maps and blueprints, are similar figures.
- A scale factor is the ratio of a dimension in a scale drawing to the corresponding dimension in an actual drawing or reality.
- Ratios can be used to determine the scale factor of a drawing.
- Proportions can be used to determine an unknown dimension in an actual or scale drawing, given the scale factor and the corresponding dimension.

#### Scale

#### Interpretation

1:20

1 unit on the drawing is 20 units.

1 cm: 1 m

1 cm on the drawing is 1 m.

$$\frac{1}{4}$$
in. = 1 ft

 $\frac{1}{4}$ in. = 1 ft  $\frac{1}{4}$ in. on the drawing is 1 ft.

#### **Reading Math**

The scale a:b is read "a to b." For example, the scale 1 cm:3 ft is read "one centimeter to three feet."

A. The length of an object on a scale drawing is 2 cm, and its actual length is 8 m. The scale is 1 cm: \_\_\_ m. What is the scale?

$$\frac{1 \text{ cm}}{x \text{ m}} = \frac{2 \text{ cm}}{8 \text{ m}}$$
 Set up proportion using  $\frac{\text{scale length}}{\text{actual length}}$ .

1 • 8 = 
$$x$$
 • 2 Find the cross products.

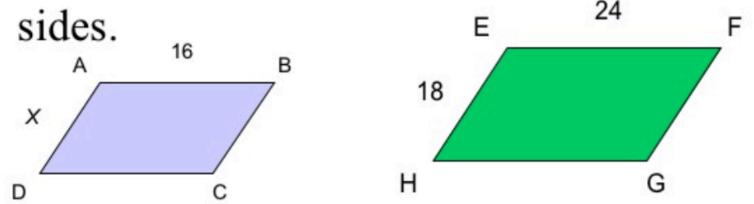
$$8 = 2x$$

$$4 = x$$
 Solve the proportion.

The scale is 1 cm:4 m.

### Example Problems

- Parallelogram ABCD ~ parallelogram
   EFGH. Find the value of X.
- Hint: Write a proportion for corresponding



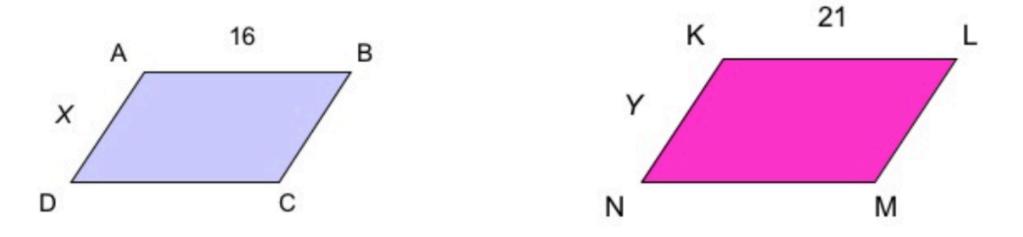
Side AB corresponds to side EF. So x/18 = 16/24

Write the CROSS PRODUCT.

Divide and Simplify to SOLVE for X. X = 12

### Try This...

- Parallelogram KLMN is similar to parallelogram ABCD in the previous example. Find the value of Y.
  - Remember, X = 12 on Parallelogram ABCD.



### Homework!

